

The Transmission of Shocks in Endogenous Financial Networks: A Structural Approach

by Jonas Heipertz, Amine Ouazad and Romain Rancière

Discussed by

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- But these linkages are also affected by the shocks
→ let's endogenize them!
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 - ▶ New propagation channels
 - ▶ Structural estimation of the model to highlight their importance
 - ▶ Look at the impact of ECB quantitative easing
- Very interesting paper tackling an important topic

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Overview of the Model

- Banks: $i \in \{1, \dots, N\}$
- Traded instruments: $j \in \{1, \dots, J\}$
 - ▶ Some of these instruments are the banks' equity $\{E_i\}_{i \in \{1, \dots, N\}}$
- Bank i has subjective beliefs r_{ijt} about instrument j 's return
- Bank i 's net holding (demand less supply) of securities is a J -vector Δ_{it}
 - ▶ Network of linkages through equity claims
- Banks i 's problem

$$\max_{\Delta_{it}} \int u_i(\Delta_{it}' r) dr - \underbrace{\left\| \frac{\gamma_i}{p} \cdot (\Delta_{it} - \Delta_{it-1}) \right\|^2}_{\text{adjustment costs}}$$

s.t. $\underbrace{\Delta_{it}' \mathbf{1}_J}_{\text{balance sheet}} = E_{it}$

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Endogenous network

- Notation:
 - ▶ θ is a shock
 - ▶ p^p is the vector of prices for non-equity instruments
 - ▶ Δ_i^p is the net demand of bank i for non-equity instruments
 - ▶ Δ_i^e is the net demand of bank i for equity instruments
- Suppose no propagation through the network for now

$$\frac{dE}{d\theta} = [\dots] \left[\underbrace{\left\{ 1' \frac{\partial \Delta_i}{\partial \theta} \right\}_i}_A + \underbrace{\left\{ \frac{\partial 1'_p \Delta_i^p}{\partial \log p^p} + \frac{\partial 1'_e \Delta_i^e}{\partial \log p^p} \right\}_i}_{B} \frac{d \log p^p}{d\theta} \right]$$

- ▶ A: Direct (partial equilibrium) effect of shock on equity of bank i
- ▶ B: Indirect (general equilibrium) effect through the impact of shock on non-equity prices
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- General linear network model

$$\begin{bmatrix} E_1 \\ \vdots \\ E_n \end{bmatrix} = \begin{bmatrix} A_{11} & \cdots & A_{1n} \\ \vdots & \ddots & \vdots \\ A_{n1} & \cdots & A_{nn} \end{bmatrix} \begin{bmatrix} E_1 \\ \vdots \\ E_n \end{bmatrix} + \begin{bmatrix} \varepsilon_1 \\ \vdots \\ \varepsilon_n \end{bmatrix}$$

- Can be rewritten as

$$E = [\mathbf{1} - \mathcal{A}]^{-1} \varepsilon$$

where $[\mathbf{1} - \mathcal{A}]^{-1}$ is the Leontief inverse (from olden input-output analysis)

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- What is in the influence matrix \mathcal{A} ?

$$\mathcal{A} = \left(\underbrace{H}_A + \underbrace{\frac{\partial H}{\partial \log p^e}}_B + \underbrace{\left\{ \frac{\partial (1'_p \Delta_i^p)}{\partial \log p^e} \right\}}_C \right) (\text{diag} E)^{-1}$$

where $H_i = 1'_e \text{diag} \Delta_i^e$ is the vector of holdings

- Mechanisms:
 - ▶ A: Cross-bank equity holdings
 - ▶ Impact of changes in equity prices on:
 - B: Cross-bank equity holdings
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Endogenous network $\equiv \mathcal{A}$ is endogenous

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Implications:

- The influence of a bank on another one is endogenous
- After shocks some banks gain in influence, others lose
- No links destructions/creations (all links always exist)
- Contrast with recent literature in macro
 - ▶ Oberfield (2018), Taschereau-Dumouchel (2019), Acemoglu and Azar (2019)
- Do we care?
 - ▶ Maybe. Do we see a lot of link creations/destructions in the data?
 - ▶ Models with links creations/destructions are harder to build/solve \rightarrow harder to estimate.

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One popular model of networks in finance (Elliot et al 2014)

- Cascading failure across institutions

$$V_i = \sum_{j \neq i} C_{ij} V_j + \sum_k D_{ik} p_k - \beta_i I_{V_i < \underline{v}_i}$$

- Matrix of influence C is fixed and exogenous
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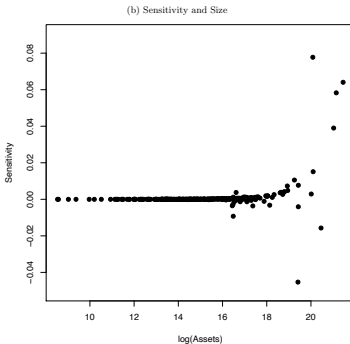
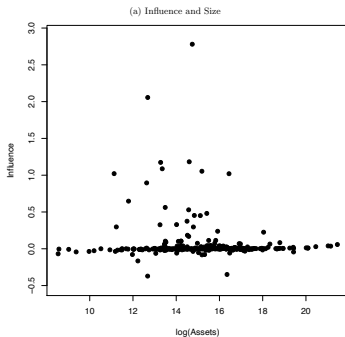
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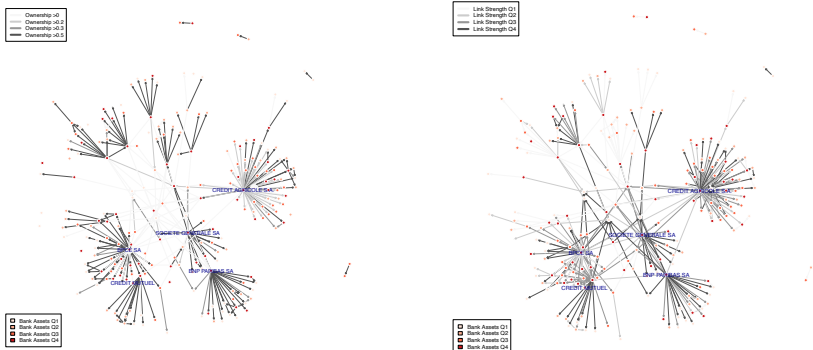
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Estimation using details French data.

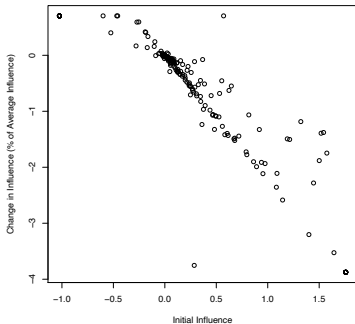


Comparing exogenous part (left) and endogenous part (right) of the network

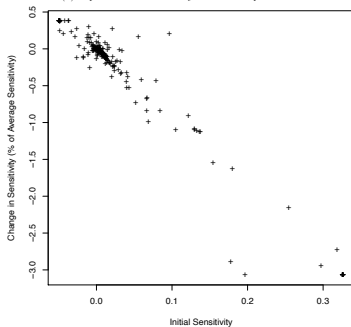


Shock to estimated model: ECB quantitative easing (increased demand for government bonds)

(a) Impact on Firm Influence in General Equilibrium



(b) Impact on Firm Sensitivity in General Equilibrium



Why the endogenous network?

Main comment: Quantify the importance of the mechanism

- How big of a mistake do we make if we simply use holding data as exogenous network

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- Discussion of how the environment changes the network
- What networks are better/worse for shocks?
- Firms do not solve their dynamic problem correctly
 - ▶ Do we really need the fixed cost?
- Expected returns for banks are unrelated to their holdings
 - ▶ Example:
 - Two banks A and B, and some outside asset C
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Some disorganized comments/suggestions

- Discussion of how the environment changes the network
- What networks are better/worse for shocks?
- Firms do not solve their dynamic problem correctly
 - ▶ Do we really need the fixed cost?
- Expected returns for banks are unrelated to their holdings
 - ▶ Example:
 - Two banks A and B, and some outside asset C
 - Suppose B only holds C on its balance sheet
 - A has beliefs about the return of B and C but they can be very different
 - ▶ Maybe just exogenous beliefs on non-equity assets?

Concluding comments

To conclude:

- Very interesting paper
- Great contact with the data
- Nice next step for financial network literature